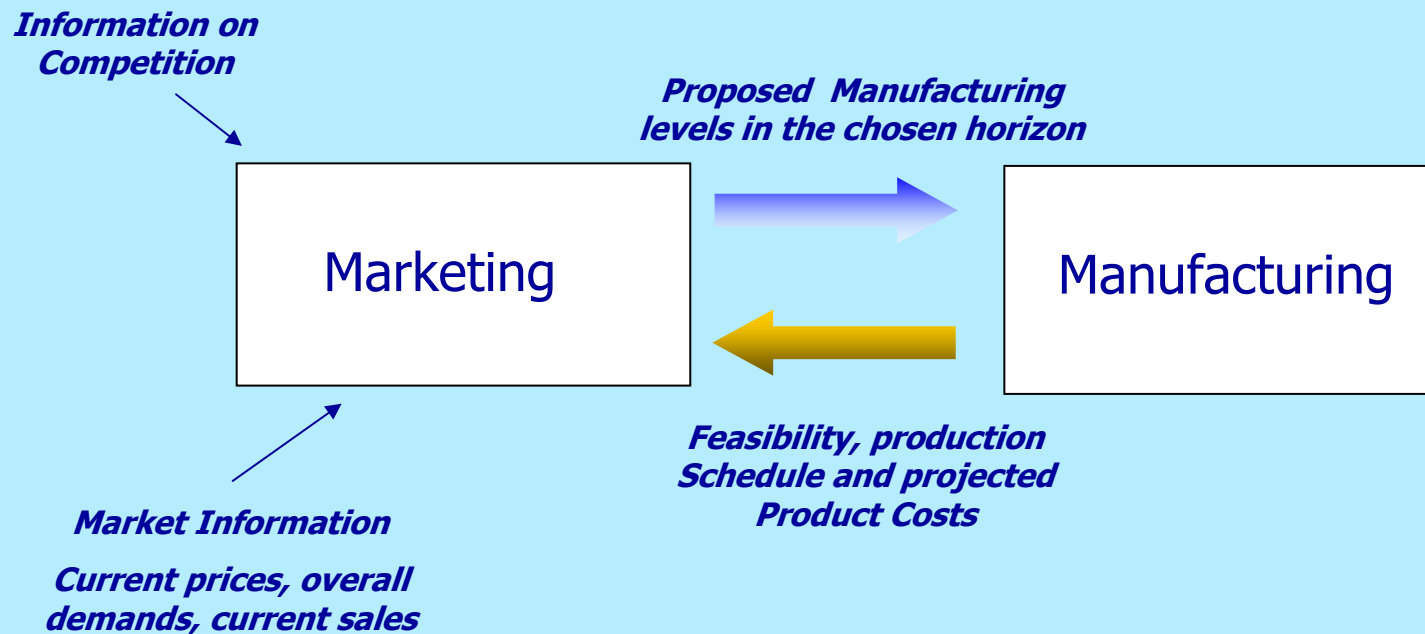


Pricing of Consumer Products

$$d_t = G_t + 0_t$$

Pricing of Existing Products as Currently Done

Marketing constructs a Sales/Price relationship



New Products

In this case Pricing is more difficult because:

- a) Consumer profiles need to be chosen**
- b) The actual product may need to be changed in composition or structure to improve profits**
- c) The choice of markets also changes profit distribution**
- d) The existing manufacturing process and the associated Supply Chain may need adaptation, or be built from scratch.**
- e) Advertising means and intensity play a bigger role and need to be decided.**

All are so intertwined that decisions on each item affect directly all the rest.



AN INTEGRATED MODEL IS A MUST

Pricing Model

We resort to the following formula from Micro-economics

$$p_1 d_1 = p_2 d_2$$

where

p_1 = new product price

d_1 = new product demand

p_2 = competition's product price

d_2 = competition product demand

When no competition exists, then we use

$p_1 d_1 = \text{constant}$

We use the above formula for conceptual reasons. In reality we use a slightly more complex one.

$$d_i = \sigma_i + \theta_i$$

Pricing Model

Explanation

$$p_1 d_1 = p_2 d_2$$

When the prices are equal $p_1 = p_2$

$$d_1 = d_2$$



Market is split equally

This is true only when

- a) Products are of equal quality (consumer is indifferent when prices are equal)
- b) Consumer has equal knowledge about existence of both products

$$d_i = \sigma_i + \theta_i$$

Pricing Model

We therefore introduce two parameters α and β

$$\beta p_1 d_1 = p_2 d_2 \alpha$$

- β : is a positive coefficient that is a measure of how much more appealing to the consumer the new product will be, given equal prices.
- α : is a positive coefficient that is a measure of how much the consumer knows about the existence of the new product.

Not the formula we use in class

$$d_i = \sigma_i + \beta_i$$

Pricing Model

Assume that $\beta=0.5$, that is, the consumer will like the new product twice as much as the competition.

Also assume that $\sigma=1$, that is, the consumer knows both products perfectly well.

Then, when the prices are equal $p_1 = p_2$

$$d_1 = 2d_2$$



Market share is 2/3

We calculate β as a function of the ratio of “happiness” both products give the customer

$$d_i = \sigma_i + \theta_i$$

Pricing Model

In fact β can change throughout time. Too.

We propose $\beta = H_2/H_1$ That is, the ratio of "preferences".

We use $H_i = \sum w_i y_i$

w_i = weights

y_i = Normalized scores (0-1) of consumer attributes

(color, taste, smoothness, size, functionality, etc)



Connect y_i to physical properties or product structure

$$d_i = \sigma_i + \theta_i$$

Pricing Model

Assume that $\beta=1$, that is, the consumer prefers the new product as much as the competition.

Also assume that $\alpha=0.5$, that is, half of consumers know about the product

Then, when the prices are equal $p_1 = p_2$

$$d_1 = 0.5 d_2$$

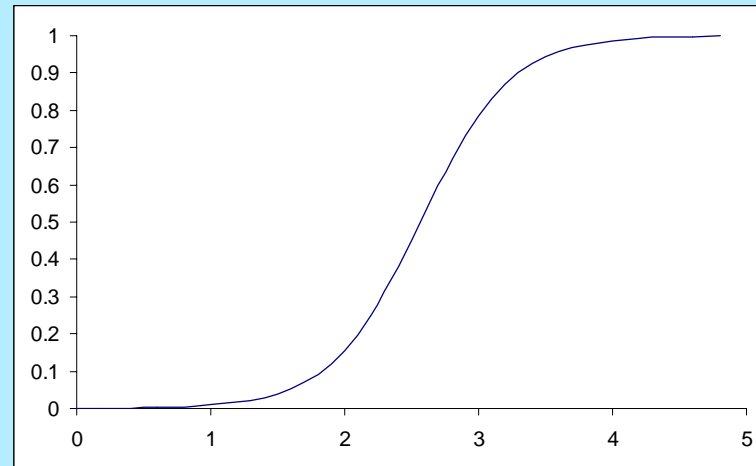


Market share is $1/3$

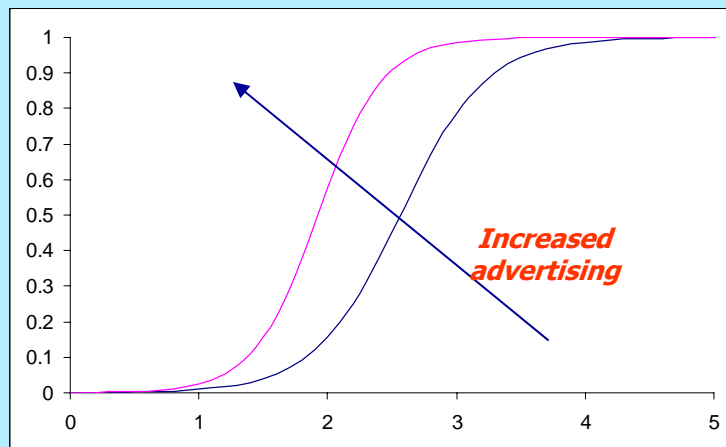
$$a_t = \sigma_t + \theta_t$$

Pricing Model

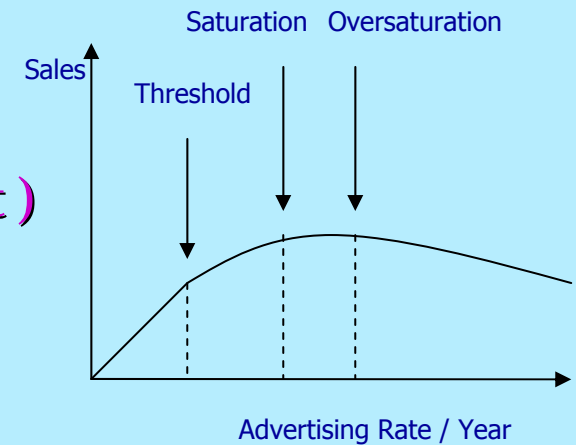
In fact σ is a function of time



Which can be altered
by advertisement



(which has a cost)



Integrated Pricing Model

Find (SIMULTANEOUSLY)

product composition/Structure

Market and consumer profile

Price

Corresponding Manufacturing

Corresponding Supply Chain

SUCH THAT

Net Present value is maximum

Subject to:

Maximum Capital Investment

Logistic and resource constraints

Example

Consider an over-the-counter skin moisturizing lotion for ichthyosis patients



Ichthyosis Vulgaris

This requires the usual ingredients of a moisturizing lotion (occlusives, Emollients, Humectants) active ingredients to promote desquamation (exfoliants)

Additional ingredients

(emulsifying agents, preservatives, thickeners, PH adjustors and antioxidants)

$$d_i = G_i + 0_i$$

Example

***Perfect product : Lotion that give
MAXIMUM HAPPINESSS***

Pre-Shower Lotion Formulation		
Ingredient	Percent (%)	Function
Water	60	Solvent
Ammonium Lactate	10	Desquamation
Retinyl Palmitate	8	Antioxidant
Jojoba Oil	8	Emollient
PEG-4	8	Emollient/Liposome Formation
Cetyl Alcohol	2.9	Emulsifier
Octyldodecanol	2.9	Thickener
Phenoxyethanol	0.196	Preservative
Maleic Acid	0.004	pH Adjuster

$$d_i = G_i + 0_i$$

Example

Shower Gel Formulation

Ingredient	Percent %	Function
Water	52	Solvent
Polysorbate-20	20	Surfactant
Cocoamidopropyl Betaine	5	Surfactant
Lactic Acid	4	Exfollient/NMF
Urea	4	NMF
Sodium PCA	3	NMF
Urocanic Acid	3	NMF
Citric Acid	3	NMF
Oleic Acid	3	Emollient/Thickener
Cetyl Alcohol	2.796	Emulsifier
Phenolxyethanol	0.2	Preservative
Maleic Acid	0.004	pH Adjustor

$$d_i = G_i + 0_i$$

Example

After-Shower Lotion Formulation

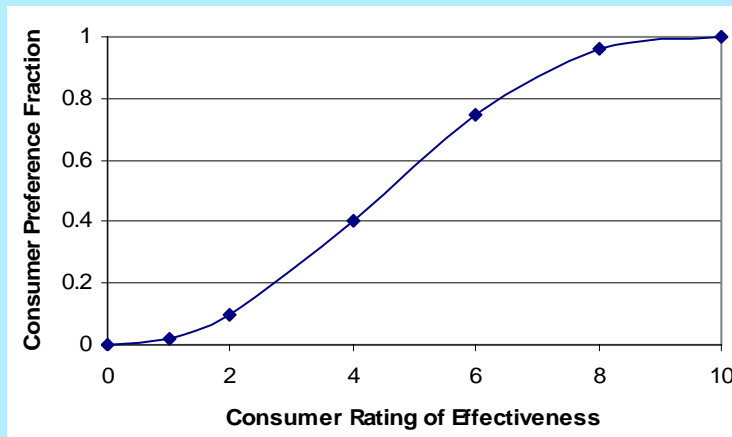
Ingredient	Percent %	Function
Water	60	Solvent
Dimethicone	10	Humectant
Lanolin	8	Humectant
PEG-4	6.996	Emollient/Liposome Formation
Cetyl Alcohol	5	Emulsifier
Ceramide	3	SC Lipid/Humectant
Isostearic Acid	2.8	Thickener
Palm Oil	2	Emollient
γ-Linoleic Acid	1	SC Lipid
Cholesterol	1	SC Lipid
Phenoxyethanol	0.2	Preservative
Maleic Acid	0.004	pH Adjustor

$$d_i = \sigma_i + \theta_i$$

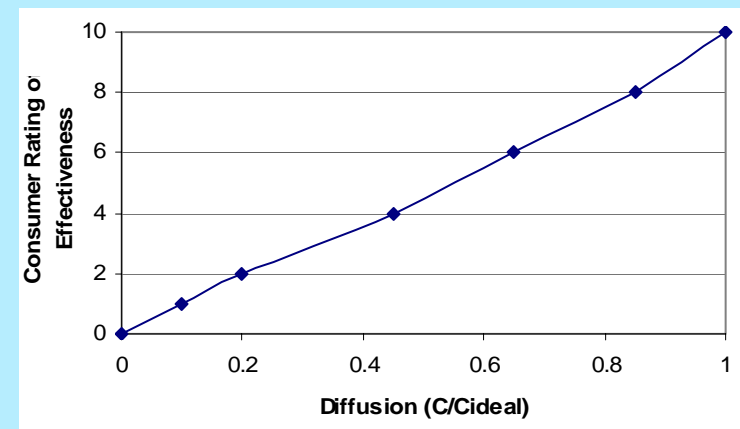
Example

How is preference constructed?

Consumer Satisfaction vs rating



Consumer rating vs Physical property



$$d_t = G_t + 0_t$$

Example

Unfortunately, a loosing money proposition at average market prices

	Cost (million \$)
Raw Material Cost/yr	51.62
Total Product Cost/yr	58
Annual Product Revenue/yr	16.2
NPW	-125.54

Substitute ingredients are needed

Example

Happiness model illustrated for Pre-Shower Lotion:

Relative proportions of Water, Ammonium Lactate, Jojoba Oil where changed to give a relative happiness value of $\beta=0.78$, and with it, the product sold as the three lotions has competitive prices.



Next step: Conduct a full optimization using the happiness model and the pricing formulas to also allow demand vary