

ASSIGNMENT 3

CHE 5480

DUE: March 4: Send through e-mail. Include the GAMS and Excel files and a narrative explaining what was done and how.

#Problem 1

Consider the following problem:

Max $4x+y$

Subject To:

$$x \cdot y \leq 4$$

$$0.64X \leq y$$

$$0 \leq x \leq 4$$

$$0 \leq y \leq 8$$

- Draw the feasible region.
- Identify the optimum by inspection.
- Pick a starting point and illustrate the steps of the following methods
 - penalty
 - barrier
 - Augmented lagrangian
 - SLP (use the following starting points: (1,7), (0,0) and (6,5))
- Use GAMS/CONOPT, or GAMS /CPLEX when appropriate to solve each step.

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#Problem 2

Consider the following problem:

Min $(x-3)^2 + (y-2.5)^2$

Subject To:

$$x \cdot y \leq 4$$

$$0.64X \leq y$$

$$0 \leq x \leq 4$$

$$0 \leq y \leq 8$$

- Draw the feasible region.
- Identify the optimum by inspection.
- Check the KKT conditions.
- Do sufficient conditions hold?
- Pick a starting point and illustrate the steps of the following methods
 - SLP

-SQP

-GRG (*Make sure that you identify basic, non-basic and superbasic variables*)

- Use GAMS/CONOPT, or GAMS /CPLEX when appropriate to solve each step.

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#Problem 3

Problem 8.26 (Himmelblau book ; chapter 8)

#Problem 4

Problem 8.31 (Himmelblau book ; chapter 8)

#Problem 5

Problem 9.9 (Himmelblau book ; chapter 9) Illustrate all the steps of the branch and bound procedure. Use GAMS for the lp. Confirm your results running the MILP (using the mip option).

#Problem 6

Consider the following problem:

Min $2x+y$

Subject To:

$$1.25-x^2-y \leq 0$$

$$x+y \leq 1.6$$

$$0 \leq x$$

$$y=0,1 \text{ (binary)}$$

- Draw the feasible region.

- Identify the optimum by inspection.

-Pick a starting point and illustrate the steps of the outer approximation algorithm.

- Show if there are multiple optima.

- Use GAMS/CONOPT, or GAMS /CPLEX when appropriate to solve each step.

Repeat for an objective function Min $2x^2+y$